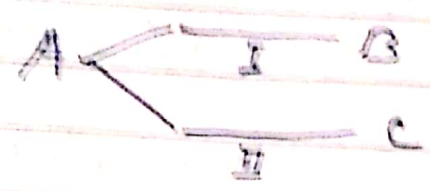


B.Sc. III, Paper - V, Sub-Chemistry  
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Kinetics of side reaction or parallel reaction

Let us consider a side reaction



Here A decomposes to form B and C simultaneously. If a is the initial concentration of A. After time t a mole of A decomposes to form B and C simultaneously.

Therefore

Rate of disappearance of A =  $-\frac{dx}{dt}$

Rate of formation of B and C =  $\frac{dx}{dt}$  (i)

Rate of formation of B =  $\frac{dy}{dt}$  (ii)

Rate of formation of C =  $\frac{dz}{dt}$  (iii)

As B and C is formed from A

$$\frac{dx}{dt} = \frac{dy}{dt} + \frac{dz}{dt} \quad \text{--- (iv)}$$

Now  $\frac{dy}{dt}$  of B =  $k_1(a-x)$  or,  $\frac{dy}{dt} = k_1(a-x)$  (v)

and similarly  $\frac{dz}{dt} = k_2(a-x)$ . (vi)

from equations (IV), (V) and (VI)

$$\frac{dx}{dt} = k_1(a-x) + k_2(a-x)$$

$$\text{or } \frac{dx}{dt} = (k_1 + k_2)(a-x)$$

$$\text{or } \frac{dx}{a-x} = (k_1 + k_2) dt = k dt \quad \text{--- (VII)}$$

on integrating we get

$$\int \frac{dx}{a-x} = \int k dt$$

$$\text{or } -\ln(a-x) = kt + \text{Integration constant} \quad \text{--- (VIII)}$$

$$\text{at } t=0 \quad x=0$$

$$-\ln a = 0 + \text{Integration constant}$$

Hence eq (VIII) will be

$$-\ln(a-x) = kt - \ln a$$

$$\therefore k = \frac{\ln a - \ln(a-x)}{t}$$

$$\text{or } \boxed{k = \frac{1}{t} \ln \frac{a}{a-x}}$$

From Weysscheider's test for side reaction amount of B and C formed depend upon rate of formation of B and C when ~~their~~ order of both are same.

$$\frac{\text{amount of B formed}}{\text{amount of C formed}} = \frac{\text{Rate of formation of B}}{\text{Rate of formation of C}}$$

Rate of formation



$$\text{or } \frac{\text{amount of B formed}}{\text{amount of C formed}} = \frac{K_1(a-x)}{K_2(a-x)} = \frac{K_1}{K_2} = K'$$

$$\text{or } \boxed{K' = \frac{K_1}{K_2}} \quad \text{--- (IX)}$$

from eq<sup>n</sup> (VII) and (IX)

$$K = K_1 + K_2 \quad \text{--- (X)}$$

$$\text{and } K' = \frac{K_1}{K_2}, K_1 = K'K_2$$

putting value of  $K_1$  in eq<sup>n</sup> (X)

$$K = K'K_2 + K_2$$

$$\text{or } K = K_2(K' + 1)$$

$$\text{or } \boxed{K_2 = \frac{K}{K' + 1}} \quad \text{--- (XI)}$$

putting this value of  $K_2$  in eq<sup>n</sup> (X)

$$\boxed{K_1 = \frac{KK'}{1 + K'}}$$